

EXPLICIT LOGICAL EFFORT FORMULATION FOR MINIMUM ACTIVE AREA UNDER DELAY CONSTRAINTS

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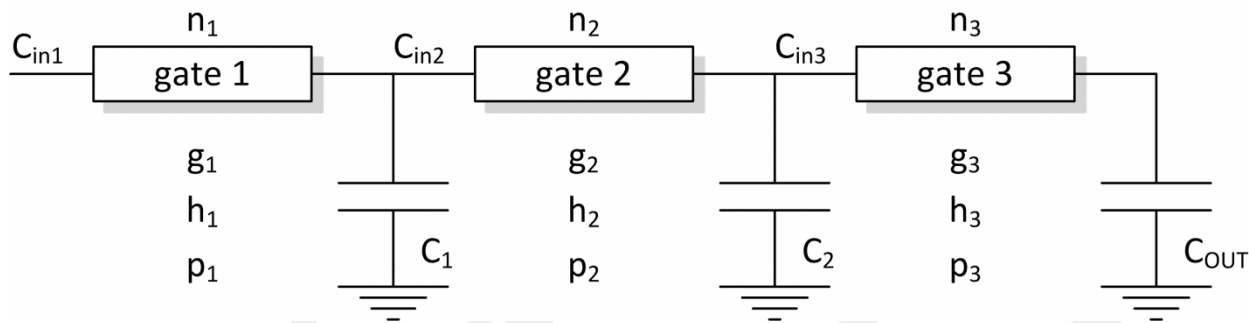
- ❏ Choosing the sizes of logic gates
 - Respecting design constraints
 - Minimizing other costs
- ❏ Based on a delay model

- ❏ minimize active area (power)

Gain-based delay model

$$d_{abs} = \tau(gh + p)$$

- d_{abs} : absolute delay
- τ : delay of an inverter driving an identical inverter with no parasitics
- g : logical effort of the gate
- h : electrical effort
- p : parasitic delay



❏ Total delay of an n-stage logic path:

$$D = d_1 + d_2 + \dots + d_n$$

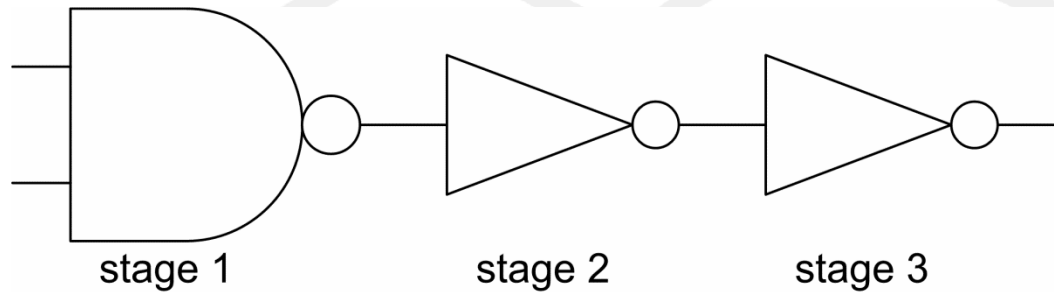
❏ Total active area – 3-stage logic path:

$$A = n_1 C_{in1} + n_2 C_{in2} + n_3 C_{in3}$$

❏ dA / dC_{in1} ; dA / dC_{in2} ; dA / dC_{in3}

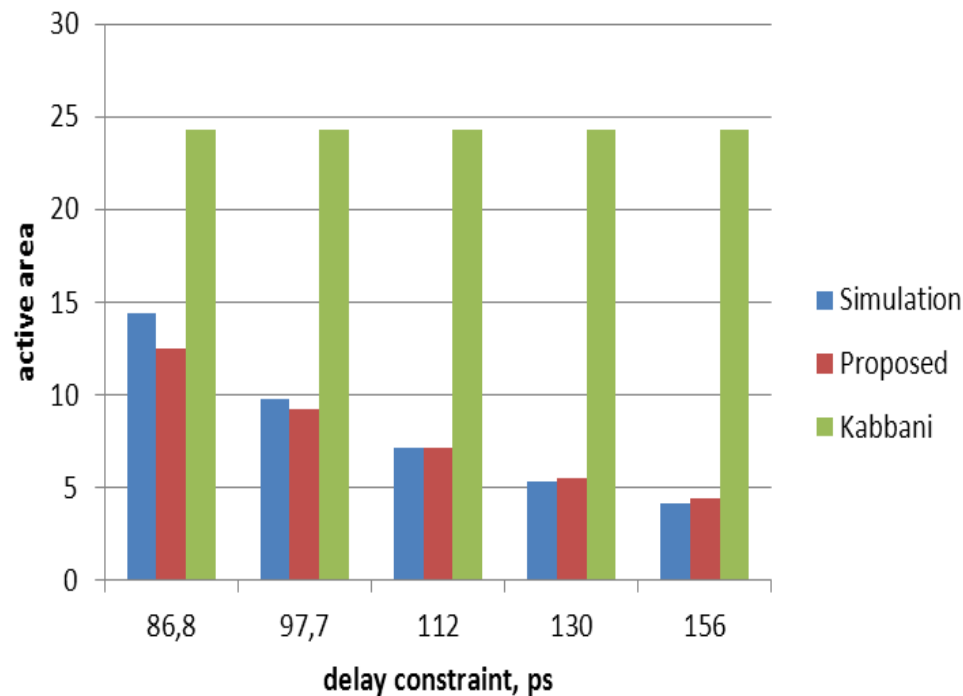
❏ one-variable equation

EXAMPLE: NAND – INV – INV



- ❏ Loads: X4, X16, X32, X40, X64, X100
(input capacitance of the minimum inverter)
- ❏ Delay constraints: minimum possible delay + slacks
(for every load)

Significant improvement over previous method*



Active areas for output load X100 and 5 delay constraints.

*Kabbani, A.: 'Logical effort based dynamic power estimation and optimization of static CMOS circuits', *Integration, the VLSI journal*, 2010, 43, pp. 279-288

- ❏ New method for sizing subcircuits
- ❏ Finds minimum active area analytically
- ❏ Solving a one-variable equation
- ❏ Maximum sizing error: 13.5%
- ❏ Maximum power error: 4.1%
- ❏ Maximum delay error: 5.6%
- ❏ Future work